

MULTIMEDIA



UNIVERSITY

STUDENT ID NO

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Seat No.:

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Venue:

MULTIMEDIA UNIVERSITY

FINAL EXAMINATION

TRIMESTER 1, 2018/2019

TGD2151 – COMPUTER GRAPHICS FUNDAMENTALS

(All sections / Groups)

15 OCTOBER 2018
9.00 a.m. – 11.00 a.m.
(2 Hours)

Question No.	Marks
1	
2	
3	
4	
Total	

INSTRUCTIONS TO STUDENTS

1. This Question paper consists of 9 pages with 4 Questions only.
2. Answer **ALL FOUR** questions. All questions carry equal marks and the distribution of the marks for each question is given.
3. Please write all your answers **CLEARLY** in this Question paper.

QUESTION 1

a) (i) What is pixel depth?

[1 Mark]

(ii) How pixel depth affects the shades of gray or colors represented in an image?

[2 Marks]

b) A RGB raster system is designed using a 6 inches by 8 inches screen with a resolution of 200 pixels per inch in each direction. If we want to store 6 bits per pixel in the frame buffer, how much storage (in MB) do we need for the frame buffer?

[3 Marks]

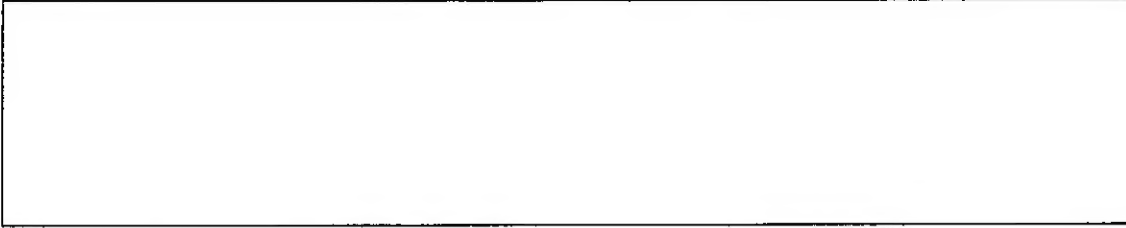
c) (i) Find the parametric equation of the line which passes through point $p_0 = (-3, 1, 6)$ and parallel to the vector $v = (5, -1, 2)$.

[2 Marks]

(ii) What is the coordinate of the intersection point q between this line and the $z=10$ plane?

[2 Marks]

Continued...

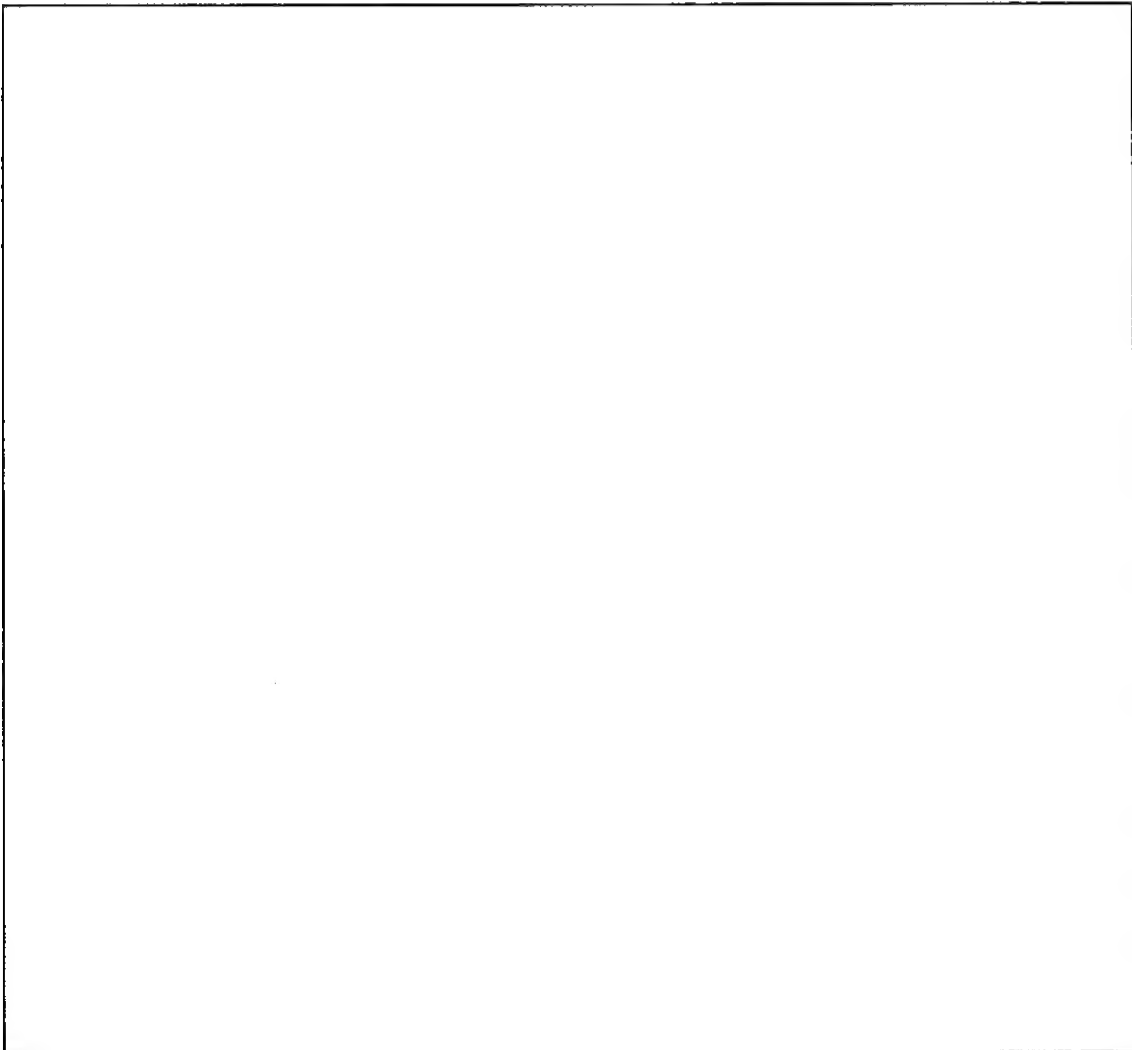
**QUESTION 2**

- a) (i) Given a straight line with pixel coordinate $(-3, 0)$ to pixel coordinate $(6, 6)$. Indicate which raster locations would be chosen by Bresenham's algorithm up to pixel coordinate $[1, 3]$.

[4 Marks]

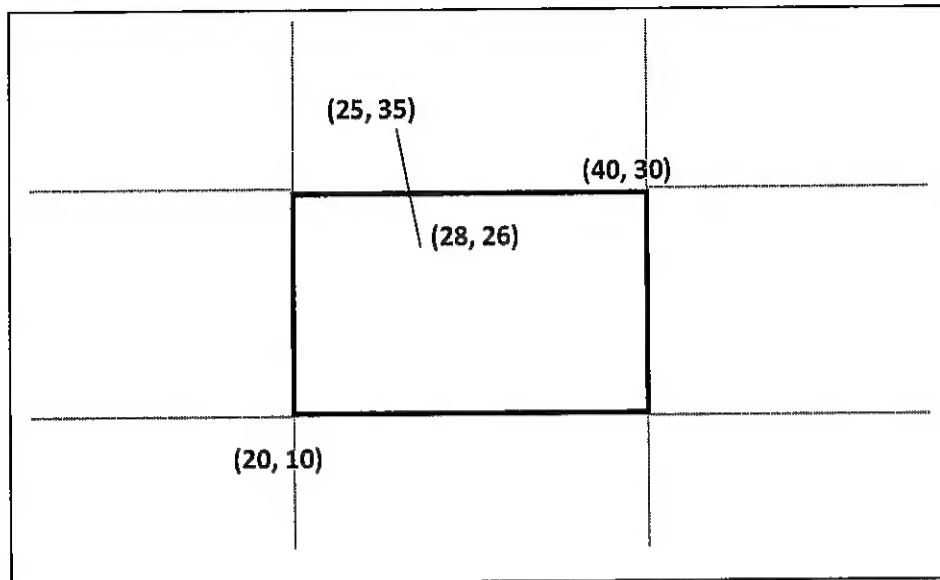
- (ii) Why is Bresenham's Algorithm better than Analytical method for line drawing?

[1 Mark]



Continued...

- b) Given the clipping window coordinates (20,10) and (40,30), $s_1 = (25, 35)$ and $s_2 = (28, 26)$ represent the two end points for a line),



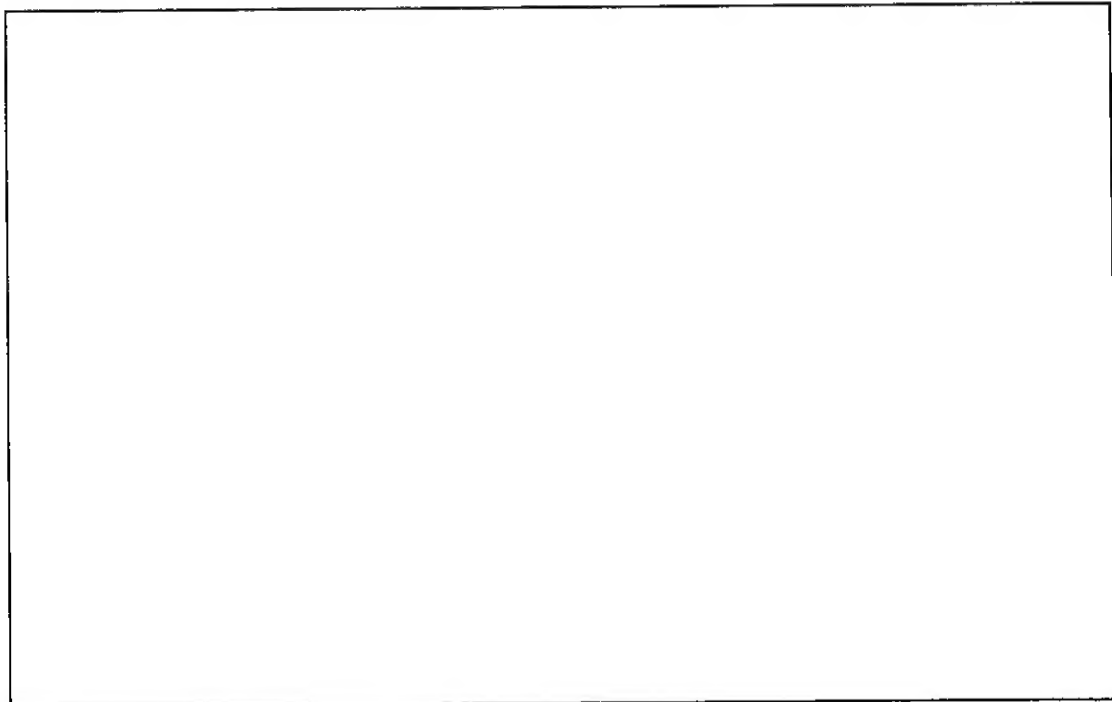
By using Cohen Sutherland's clipping algorithm,

- (i) Identify the region code for both endpoints of the line.

[1 Mark]

- (ii) Which case does the line falls into – “Trivial Accept”, “Trivial Reject” or “Other Cases”? If the line falls under “Other Cases”, compute the intersection point and state the new end point.

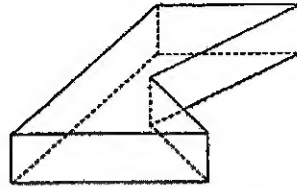
[3 Marks]



Continued...

c) Prove that the following object below is a polyhedron.

[1 Mark]



QUESTION 3

a) Obtain the composite matrix in homogeneous form for 3-D scaling with respect to point $(1, 2, 3)$, and the scaling factors are $s_x = 4$, $s_y = 5$, and $s_z = 6$.

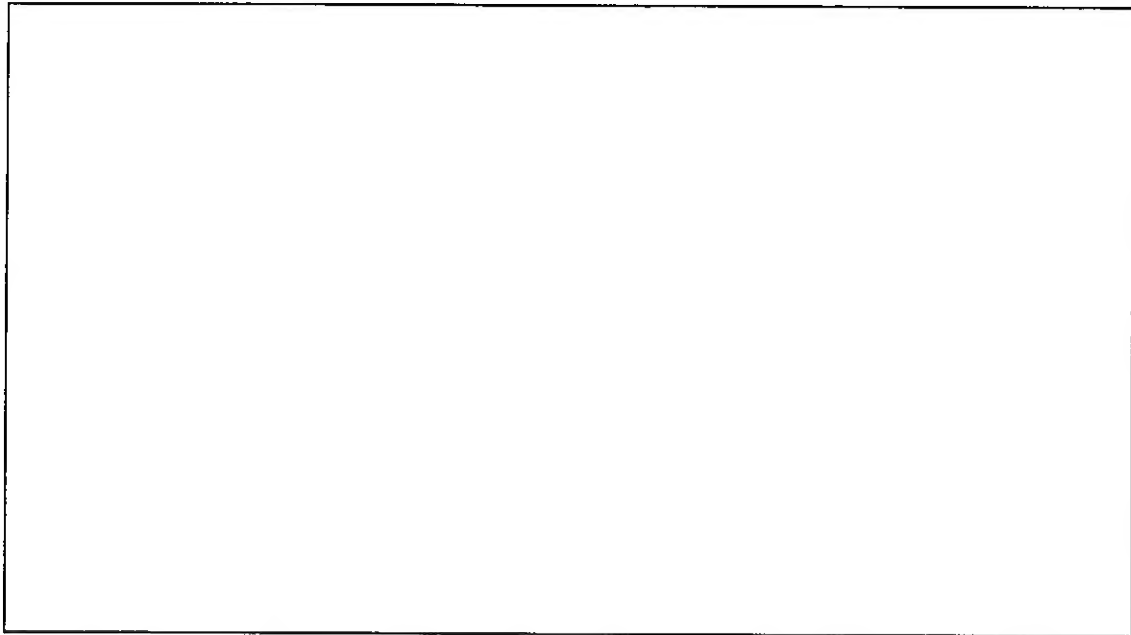
[2 Marks]

b) (i) Given four 2D control points of a cubic Bezier curve $P_0 = (0, 0)$, $P_1 = (0, 10)$, $P_2 = (20, 0)$ and $P_3 = (20, 10)$, compute the point P on the Bezier curve when $u = 0.2$.

[3 Marks]

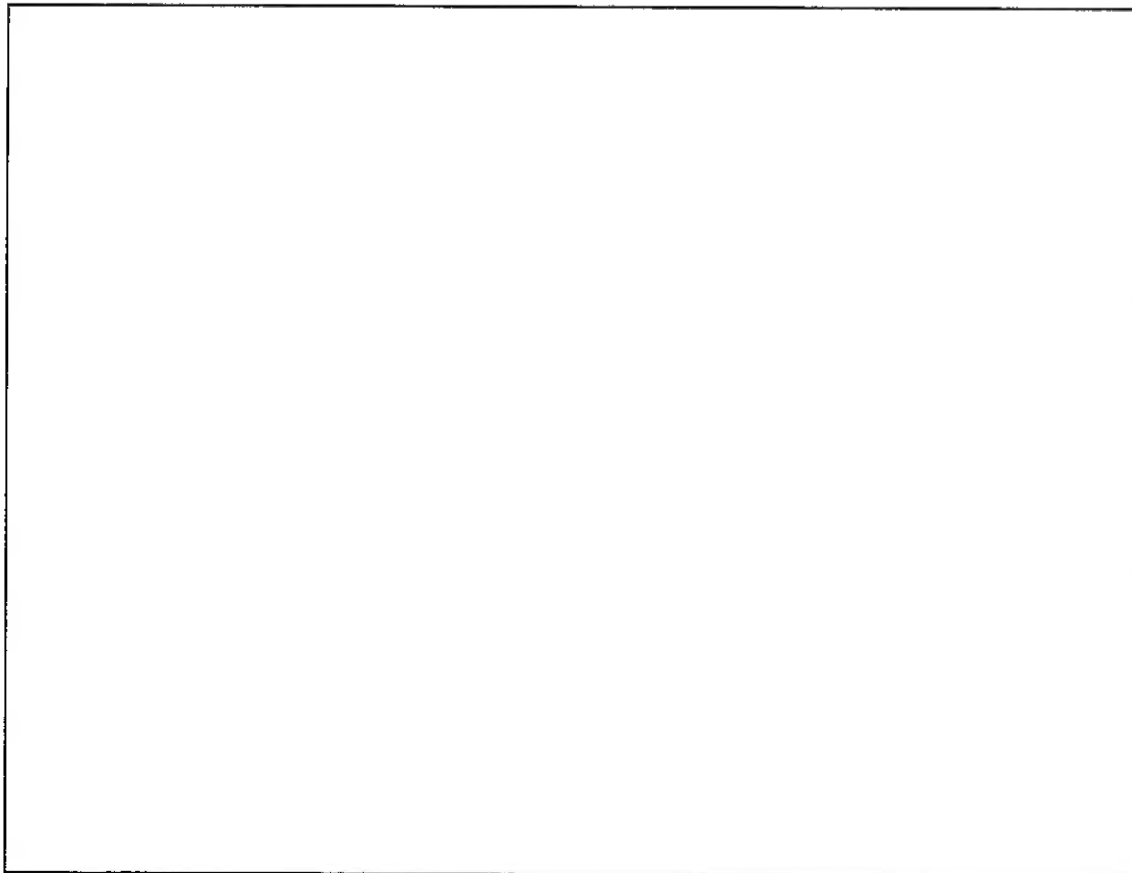
(ii) What are the points that the curve passes through when $u = 0$ and $u = 1$?

[1 Mark]



- c) Compute the uvn-viewing coordinate reference frame if a camera located at $(0,0,0)$, look at $(1,1,1)$ and the up-vector is $(0,1,0)$.

[3 Marks]



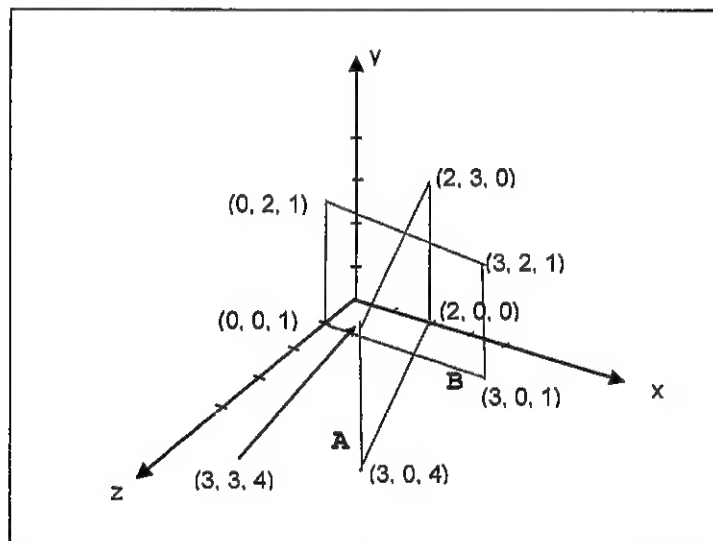
d) Compare Parallel Projection and Perspective Projection.

[1 Mark]

Parallel Projection	Perspective Projection

QUESTION 4

a) The following diagram illustrates two polygons, A and B. Let A be **red** color. The vertices are (3, 0, 4), (3, 3, 4), (2, 3, 0) and (2, 0, 0). Let B be **green** color. The vertices are (0, 0, 1), (3, 0, 1), (3, 2, 1) and (0, 2, 1). The image background is in **blue** color.



i) Show that the plane equation for A is $-12x + 3z + 24 = 0$.

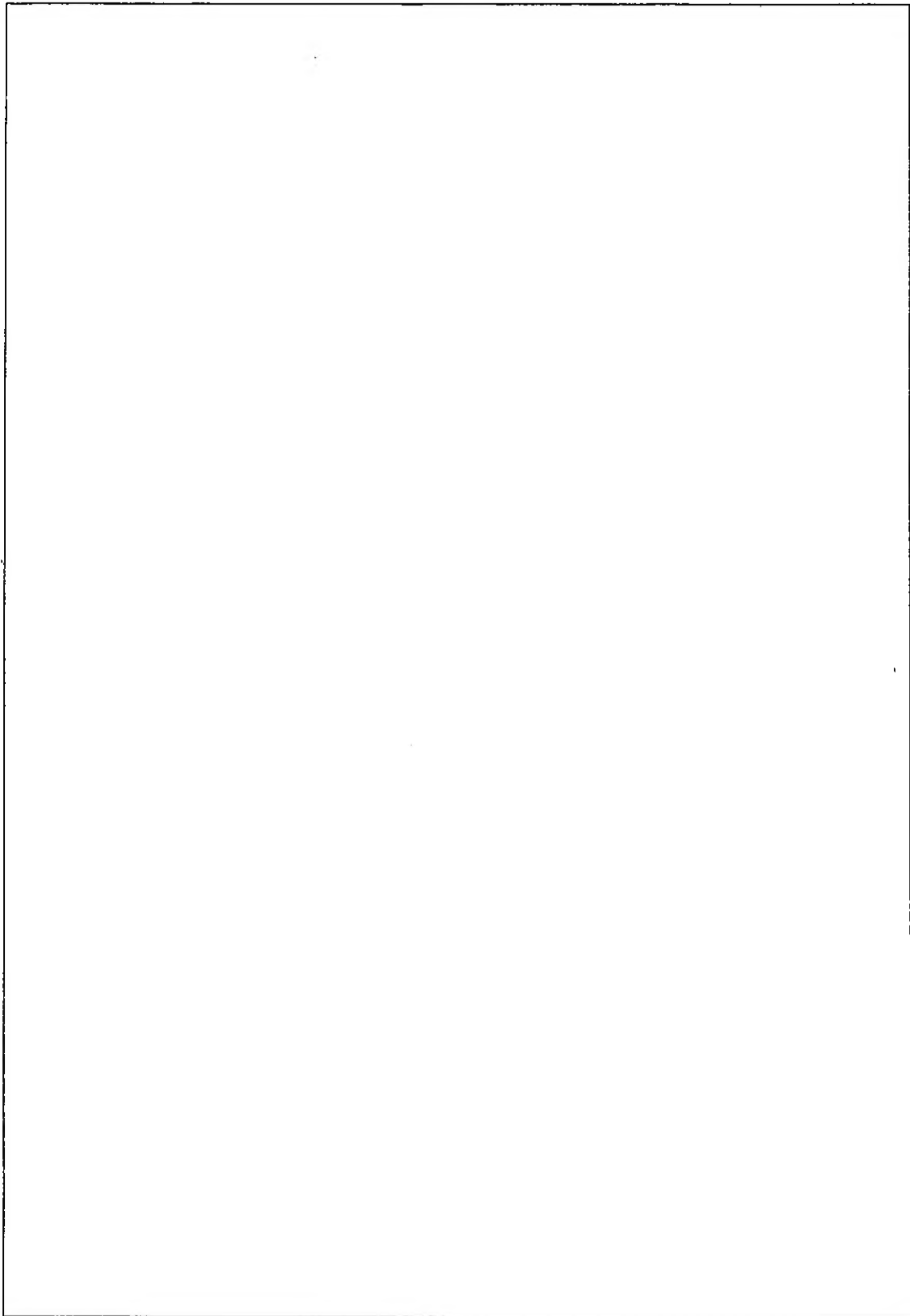
[2 Marks]

ii) If the pixel display region is $0 \leq x \leq 3$, $0 \leq y \leq 3$ and $-1 \leq z \leq 4$, and assuming the viewer is looking from positive z-axis, show with diagrams how z-buffer algorithm would determine the colour of each pixel in the 4x4 display area for the given object A and B.

[3 Marks]

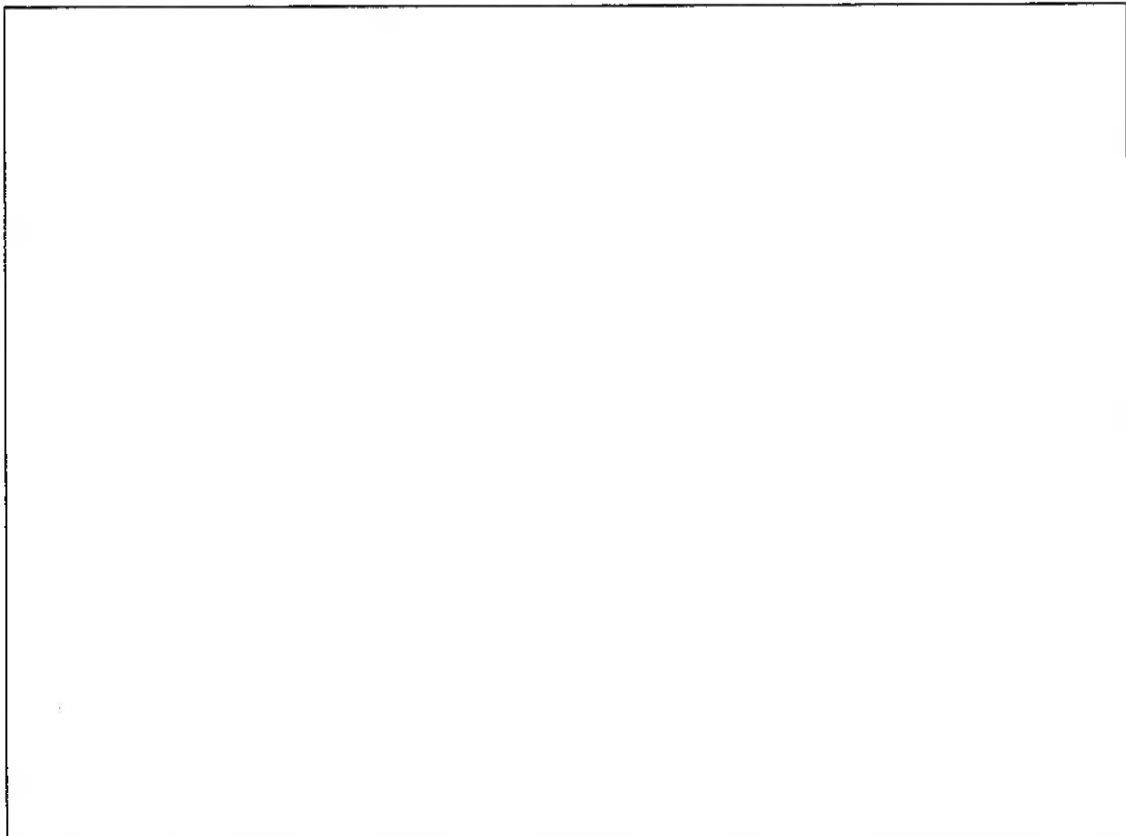
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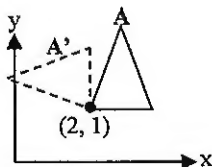


b) Ali was at a position P_v looking at a cube. A point light source at P_L shaded light with light intensity of 0.9 onto the surface cube. The materials of the surface cube contain the following properties: Ambient light coefficient, $k_a = 0.3$, diffuse reflection coefficient, $k_d = 0.5$, specular reflection coefficient, $k_s = 0.2$ and specular-reflection exponent, $n = 8$.

- i. Compute the intensity of the diffuse reflection at point A (1, 2, 0). [1.5 Marks]
- ii. Compute the intensity of the specular reflection at point A with the simplified Phong specular reflection model. [1.5 Marks]
- iii. In what situation that the simplified Phong specular reflection model is more efficient than the original Phong specular reflection model? [1 Mark]



- c) Write the OpenGL code for Triangle A below to rotate at point (2, 1) for 90 degree. Triangle A' is the resultant of the transformation. [1 Mark]



End of Page!